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**Unit 8, Lesson 13****Cube Roots**

Let's compare cube roots.

**13.1 True or False: Cubed**

Decide if each statement is true or false.

$$\left(\sqrt[3]{5}\right)^3 = 5$$

$$\left(\sqrt[3]{27}\right)^3 = 3$$

$$7 = \left(\sqrt[3]{7}\right)^3$$

$$\left(\sqrt[3]{10}\right)^3 = 1,000$$

$$\left(\sqrt[3]{64}\right) = 2^3$$

**13.2 Cube Root Values**

What two whole numbers does each cube root lie between? Be prepared to explain your reasoning.

1.  $\sqrt[3]{5}$

2.  $\sqrt[3]{23}$

3.  $\sqrt[3]{81}$



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4.  $\sqrt[3]{999}$

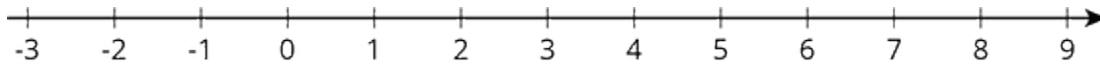
## 13.3 Solutions on a Number Line

The numbers  $x$ ,  $y$ , and  $z$  are positive, and:

$$x^3 = 5$$

$$y^3 = 27$$

$$z^3 = 700$$



1. Plot  $x$ ,  $y$ , and  $z$  on the number line. Be prepared to share your reasoning with the class.

2. Plot  $-\sqrt[3]{2}$  on the number line.

### Are you ready for more?

Diego knows that  $8^2 = 64$  and that  $4^3 = 64$ . He says that this means the following are all true:

- $\sqrt{64} = 8$
- $\sqrt[3]{64} = 4$
- $\sqrt{-64} = -8$
- $\sqrt[3]{-64} = -4$

Is he correct? Explain how you know.



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## Lesson 13 Summary

Remember that square roots of whole numbers are defined as side lengths of squares. For example,  $\sqrt{17}$  is the side length of a square whose area is 17. We define cube roots similarly, but using cubes instead of squares. The number  $\sqrt[3]{17}$ , pronounced “the cube root of 17,” is the edge length of a cube which has a volume of 17.

We can approximate the values of cube roots by observing the whole numbers around it and remembering the relationship between cube roots and cubes. For example,  $\sqrt[3]{20}$  is between 2 and 3 since  $2^3 = 8$  and  $3^3 = 27$ , and 20 is between 8 and 27. Similarly, since 100 is between  $4^3$  and  $5^3$ , we know  $\sqrt[3]{100}$  is between 4 and 5. Many calculators have a cube root function which can be used to approximate the value of a cube root more precisely. Using our numbers from before, a calculator will show that  $\sqrt[3]{20} \approx 2.7144$  and that  $\sqrt[3]{100} \approx 4.6416$ .

Also like square roots, most cube roots of whole numbers are irrational. The only time the cube root of a number is a whole number is when the original number is a perfect cube.